## MEMO CP-C/63

Date:

August 30, 1979

From:

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Subject:

New fitting-coefficient modifier codes

In polarization measurements, authors will often give their data in the form of  $\sigma(E;\theta) \cdot P(E;\theta)$  with coefficients obtained by fitting these data with an equation containing associated Legendre polynomials or an equation containing a sum in power of  $\sin^2\theta$ . Since we have run into these representations in our coding of neutron-source reaction data, we suggest the following additions:

Dictionary 34:

AL1

Coefficients for first-order associated Legendre

functions of the first kind.

SN<sub>2</sub>

Coefficients for a sum in power of sine2.

Dictionary 36:

,POL/DA,,ALT

NO (DIFFERENTIAL POLARIZATION,

COEFFICIENTS OF FIRST-ORDER ASSOCIATED LEGENDRE

OF THE FIRST KIND)

,POL/DA,,SN2

NO (DIFFERENTIAL POLARIZATION,

COEFFICIENTS FOR A SUM IN POWER OF SINE\*\*2).

A proposed addition to LEXFOR under <u>Fitting Coefficients</u> is attached.

Coefficients of Associated Legendre Functions of the First Kind

Definition: Coefficients from fitting  $\sigma(E;\theta) \cdot P(E;\theta)$  by an equation containing a sum of associated Legendre polynomials of the first kind.

Reaction - Codes, for instance:

(-(D,N)-,DA)\*(-(D,N)-,POL/DA,AL1)= coefficients of a fit to  $\sigma(E;\theta)\cdot P(E;\theta)$ (dimension e.g. mb/sr) =  $b_0(E)+\sum_{k=1}^{\infty}b_k(E)P_k$  (cos $\theta$ )

Coefficients of a Sine<sup>2</sup> Power Expansion

Definition: Coefficients from fitting  $\sigma(E;\theta) \cdot P(E;\theta)$  by an equation containing a sum in power of sine<sup>2</sup>.

Reaction - Codes, for instance: (-(D,N)-,DA)\*(-(D,N)-,POL/DA,SN2)= coefficients of a fit to  $\sigma(E;\theta) \cdot P(E;\theta)$ (dimension e.g. mb/sr) =  $b_0(E) + \sum_{k=1}^{n} b_k(E) \sin^{2k}(\theta)$ 

TWB:1h

Distribution:

H. Behrens

F.E. Chukreev

G. Dearnaley

V. Manokhin

A. Marcinkowski

H. Muenzel

S. Pearlstein

J.J. Schmidt

H. Tanaka

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NNDC

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Okamolo

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